

## Indices

Numbers are made up of two parts. The main part is called the

\_\_\_\_\_ and the number in the top right corner is called the

\_\_\_\_\_.

When we count, we count in base \_\_\_\_\_. The number  $10^0$  is the

\_\_\_\_\_ column. The number  $10^1$  is the \_\_\_\_\_ column. The

number  $10^2$  is the \_\_\_\_\_ column.

We can partition numbers using our number system. For example, 23,715

would be partitioned like this:

$(2 \times \text{_____}) + (3 \times \text{_____}) + (7 \times \text{_____}) + (1 \times \text{_____}) + (5 \times$

\_\_\_\_\_)

Computers use a different base called binary. This is base \_\_\_\_\_. The

highest digit in binary is \_\_\_\_\_.

When we look at numbers to the power of zero, they all equal \_\_\_\_\_.

Looking at the number 8,  $8^1 = \text{_____}$ ,  $8^0 = \text{_____}$ ,  $8^2 =$

\_\_\_\_\_ = \_\_\_\_\_.

We can have fractional indices such as  $343^{\frac{1}{3}} =$  \_\_\_\_\_ .

Another example is  $64^{\frac{1}{2}} =$  \_\_\_\_\_ and  $64^{\frac{1}{3}} =$  \_\_\_\_\_ .

So to recap, we have  $9^{\frac{1}{2}} = 3$  because \_\_\_\_\_

\_\_\_\_\_ .

$9^0 = 1$  because \_\_\_\_\_

\_\_\_\_\_ .

$9^{-1}$  has the effect of giving us the reciprocal. The reciprocal of 9 is \_\_\_\_\_ .

$$\left(\frac{3}{4}\right)^{-1} = \quad = \quad .$$

Provided that numbers have \_\_\_\_\_, we can

multiply two numbers together.

$$7^2 \times 7^3 = \text{_____} = \text{_____} .$$

You should notice that when we are multiplying indices together, we do it by

\_\_\_\_\_ the indexes.

So we can write,  $7^a \times 7^b =$  \_\_\_\_\_ .

When we divide one number by another involving indices, we \_\_\_\_\_ .

So we can write,  $7^a \div 7^b =$  \_\_\_\_\_ .

**Write the recap information under here.**